

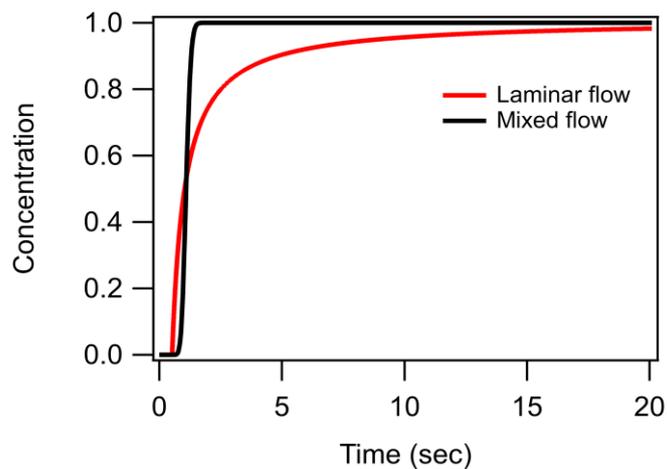
### **Error introduced by approximating laminar flow as perfectly mixed flow**

The error introduced by modeling flow through the bins as perfectly mixed rather than laminar is shown in Fig. S1. The concentration profile for laminar flow was produced using the residence time distribution  $E(t)$  shown in Eq. (S1).

5

$$E(t) = \frac{t_m^2}{2t^3} \quad (\text{S1})$$

where  $t_m$  is the mean residence time and  $t$  is the time elapsed (Fogler, 2006). The error introduced by modeling the flow as perfectly mixed is small, and this effect will only need to be accounted for when the tubing delays due to partitioning are very short (of the order of a few seconds), if more accurate results are desired.



- 10 **Figure S1.** Simulated time profiles of compound concentrations at the tubing exit assuming flow in bins is perfectly mixed rather than laminar. The mixed flow profile was generated by running the model with gas-wall partitioning turned off. The profiles are for 1 m of tubing with 3/16 in. ID at a flow rate of 1 L min<sup>-1</sup>.

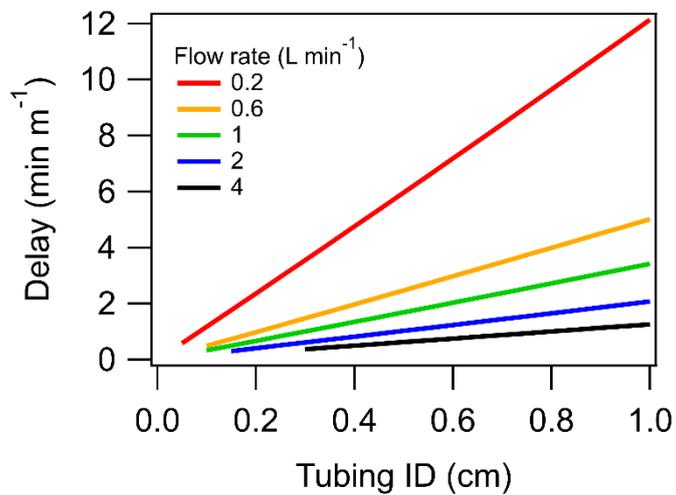
#### References

Fogler, S. H.: Elements of chemical reaction engineering, 4th ed., Prentice Hall, Upper Saddle River, NJ., 2006.

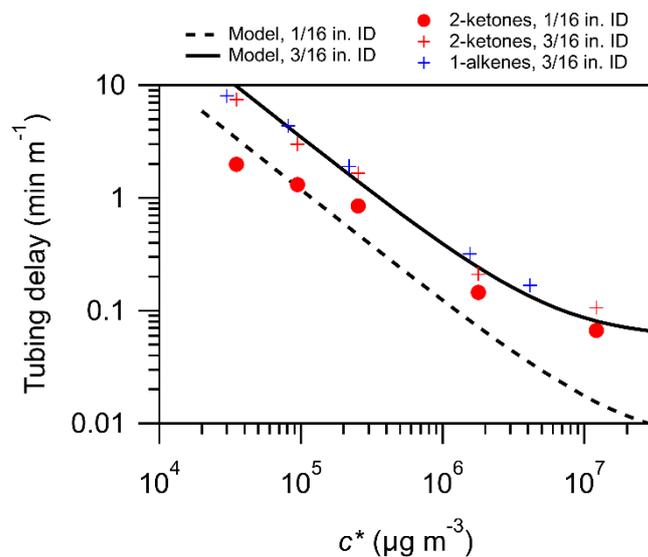
15

### **Fitting procedure to estimate $C_w$**

The effective wall mass  $C_w$  for PFA Teflon tubing was determined by fitting the model output for our base experimental case (0.47 cm ID tubing sampling at 0.36 L min<sup>-1</sup>) to the experimentally determined tubing delays under those conditions. We varied  $C_w$  in the model to generate tubing delays as a function of  $c^*$ , and we then used an orthogonal-distance regression to minimize a sum-of-squares residual. These residuals were calculated in log-log space (log(delay) vs log( $c^*$ ), as the data is shown in Fig. 4) because both compound  $c^*$  and tubing delays vary across several orders of magnitude and we wished to avoid biasing the fitting towards data acquired at high  $c^*$  or at longer tubing delays. The  $C_w$  value assumed by the model was then varied to find the minimum residual, giving an optimal  $C_w$  value of 4 g m<sup>-3</sup>. The delays predicted for this  $C_w$  value are plotted in Fig. 4.



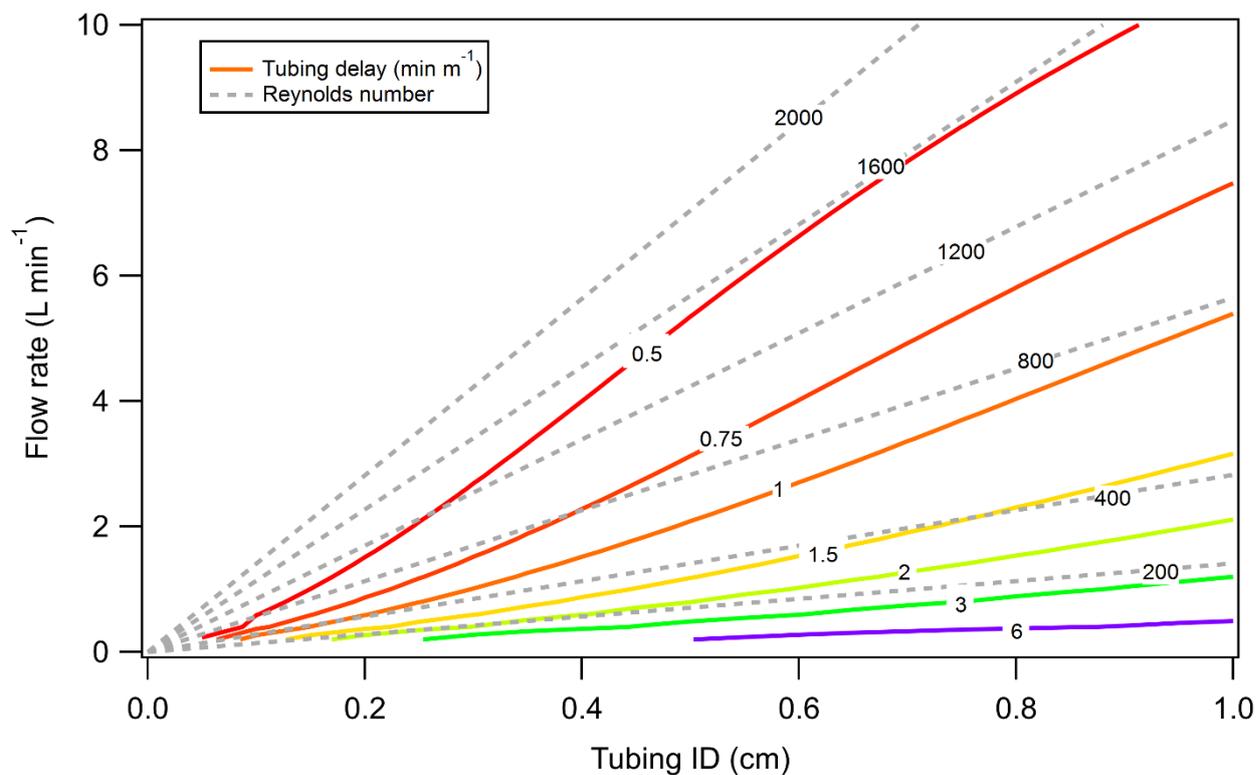
**Figure S2.** Simulated tubing delays presented as a function of tubing ID at various flow rates for a compound with  $c^* = 10^5 \mu\text{g m}^{-3}$  sampled through PFA tubing.



**Figure S3.** Comparison of measured and modeled tubing delays for 1/16 in. ID and 3/16 ID PFA Teflon tubing sampling at 0.36 L min<sup>-1</sup>. Values of  $c^*$  were calculated using SIMPOL.1 (Pankow and Asher, 2008).

### References

- 35 Pankow, J. F. and Asher, W. E.: SIMPOL.1: a simple group contribution method for predicting vapor pressures and enthalpies of vaporization of multifunctional organic compounds, *Atmos. Chem. Phys.*, 8, 2773–2796, <https://doi.org/10.5194/acp-8-2773-2008>, 2008.



40 **Figure S4.** Simulated tubing delays presented as a function of tubing ID and flow rate for a compound with  $c^* = 10^5 \mu\text{g m}^{-3}$  sampled through PFA tubing. Reynolds numbers are overlaid to illustrate the nonlinear relationship between tubing delay, flow rate and tubing diameter.

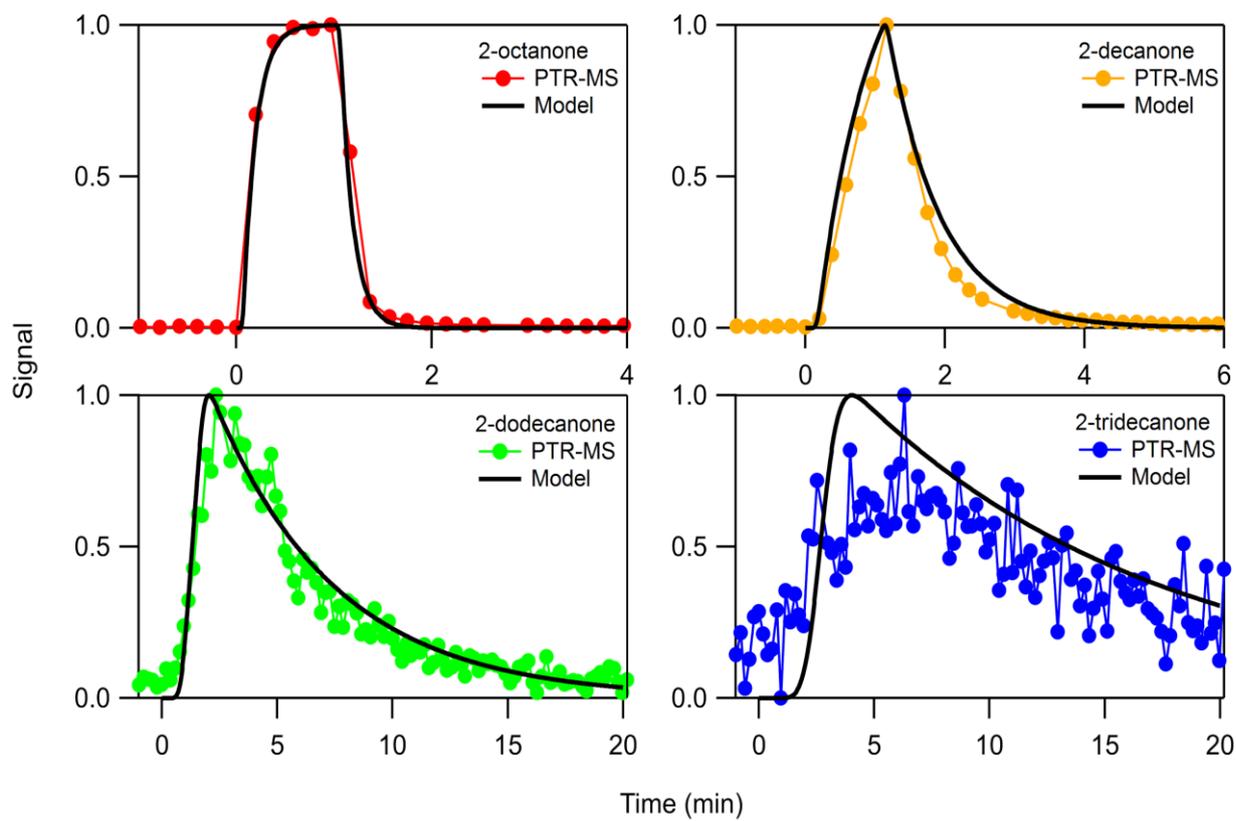
### Convolving model output with instrument response time scale

When measuring gas-phase organic compounds one must account for delays arising from tubing and  
45 from instrument surfaces. The chromatography model developed here allows one to simulate the delays from  
tubing, and the procedure described in the text allows one to measure delays from the instrument. The  
instrument response  $R(t)$  is then the convolution of the tubing model output  $F(t)$  with the instrument response  
function  $I(t)$ , as in Eq. (S2).

$$R(t) = F(t) * I(t) = \int_0^{\infty} [F(t - \tau) \times I(\tau)] d\tau \quad (\text{S2})$$

50 This approach was evaluated by sampling a set of 2-ketones from an equilibrated environmental chamber into  
the PTR-MS in a 60 s pulse, with the PTR-MS sampling clean air before and after the pulse. The experiment  
was conducted with 1 m of 3/16 in. ID PFA tubing sampling at 0.36 L min<sup>-1</sup>. As seen in Fig. S5, the convolution  
of the model output with the instrument response function for each 2-ketone gives excellent agreement with the  
experimental data. For example, a 60 s pulse of 2-tridecanone is convoluted to a response lasting more than 20  
55 min, underscoring the importance of accounting for both tubing and instrument delays.

After the experiments described in this work were completed we removed all extraneous tubing from  
the inlet of the PTR-MS in an attempt to minimize the instrument response time for future work. This was a  
success, and we decreased the instrument response time by a factor of 5 by reconfiguring the inlet. This result  
again shows the importance of minimizing the total amount of tubing in a sampling configuration when fast  
60 instrument response is needed.



65 **Figure S5.** Measured and modeled time profiles for a 60-second pulse of 2-ketones measured by the PTR-MS through 1 m of 3/16 in. ID PFA Teflon tubing at  $0.36 \text{ L min}^{-1}$ . The tubing model output was convolved with the instrument response function for each 2-ketone to generate the profiles.